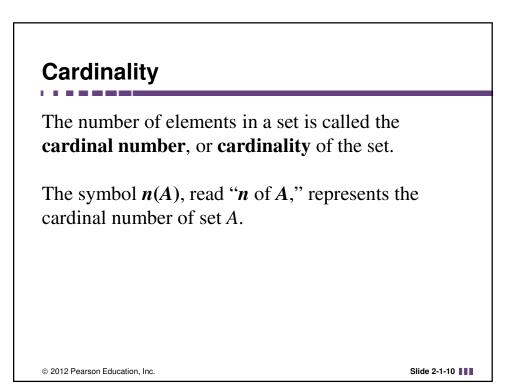


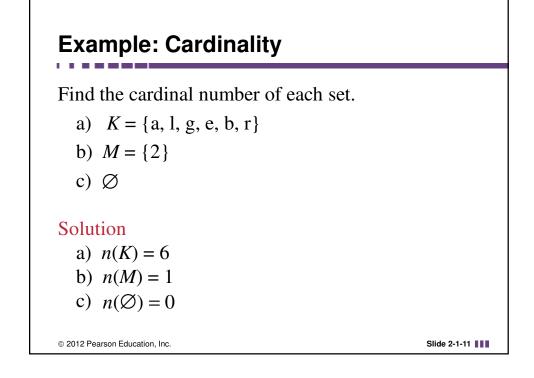
## **Sets of Numbers**

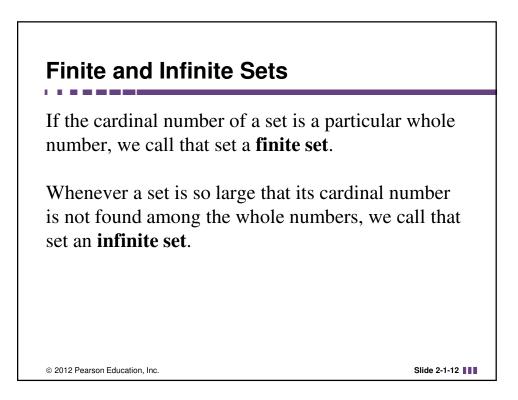
Natural (*counting*) {1, 2, 3, 4, ...} Whole numbers {0, 1, 2, 3, 4, ...} Integers {...,-3, -2, -1, 0, 1, 2, 3, ...} Rational numbers  $\left\{\frac{p}{q}\right|p$  and q are integers, with  $q \neq 0$ } May be written as a terminating decimal, like 0.25, or a repeating decimal like 0.333... Irrational {x | x is not expressible as a quotient of integers} Decimal representations never terminate and never repeat. Real numbers {x | x can be expressed as a decimal}

Slide 2-1-9

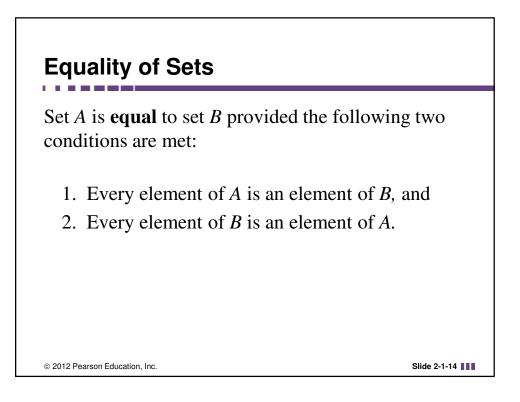
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Example: Infinite Set	
The odd counting numbers are an infinite set. Word description The set of all odd counting numbers	
Listing method {1, 3, 5, 7, 9,}	
Set-builder notation { <i>x</i>   <i>x</i> is an odd counting number}	
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## **Example: Equality of Sets**

State whether the sets in each pair are equal.

- a)  $\{a, b, c, d\}$  and  $\{a, c, d, b\}$
- b)  $\{2, 4, 6\}$  and  $\{x | x \text{ is an even number}\}$

## Solution

- a) Yes, order of elements does not matter
- b) No, {2, 4, 6} does not represent all the even numbers.

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Slide 2-1-15