## MATH 361 — HOMEWORK 9.

due on Friday, November 13.

**Textbook:** *"Elementary Classical Analysis"*, second edition by J. E. Marsden and M. J. Hoffman

#### **Topics:**

- Chapter 6: Differentiable Mappings
  - 6.1 Definition of the Derivative
  - 6.2 Matrix Representation
  - 6.3 Continuity of Differentiable Mappings; Differentiable Paths 6.4 Conditions for Differentiability
- Multilinear Maps, Functional Calculus (with power series)

## Ninth Homework Assignment.

# Reading:

• Read Sections 6.1 to 6.4. (We are going to discuss partial derivatives in greater detail next week.) Read the slides (or/and watch the videos).

### Exercises:

**Problem 1.** (See page 330 - problem 4.) Let  $f : E \to F$  (E, F Banach Spaces), and suppose there is a constant M such that for  $x \in E$ ,  $||f(x)|| \le M ||x||^2$ . Prove that f is differentiable at  $x_0 = 0$  and that  $Df(x_0) = 0$ .

## **Problems:**

- Page 330: problems 1,2
- Page 338: problems: 1, 2, 3, 4
- Page 344: problems:2
- Page 383: problems:1, 3