Partial Differential Equations
SOME REFERENCES

Math 642 Spring 2016 Jerry L. Kazdan

Basic general texts; beginning graduate level

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Nirenberg, L. *Topics in Nonlinear Functional Analysis*, New York University Lecture Notes 1974. Published by American Mathematical Society (2001), ISBN-13: 978-0821828199

Protter, M. and Weinberger, H., *Maximum Principles in Differential Equations*, Prentice-Hall, 1967. [This has the best versions and most of the results. Very clearly written.]

Warner, F.W., *Foundations of Differential Manifolds and Lie Groups*, Scott-Foresman, 1971. Reprinted in the Springer-Verlag Graduate Text Series. [The last chapter has the simplest development of linear elliptic equations with smooth coefficients. Application to prove the Hodge theorem.]