## CURRICULUM VITAE

Born: June 12, 1963, Walnut Creek, CA. U.S. citizen.

## Education:

Ph.D. in probability theory under the supervision of Persi Diaconis (Harvard) from the Massachusetts Institute of Technology in August, 1988.
B.A. in pure mathematics from the University of California at Berkeley in June, 1984.

## Research interests:

Probability theory
Combinatorics, chiefly Analytic Combinatorics in Several Variables

## Professional experience:

2003 - present: Merriam Term Professor of Mathematics at the University of Pennsylvania. (Undergraduate Chair 2011-2014)

1999-2003: Professor of Mathematics at the Ohio State University.
1991-1999: Assistant / Associate (1994) / Full (1998) Professor of Mathematics at the University of Wisconsin-Madison.
1990-1991: Andreotti Assistant Professor of Mathematics and N.S.F. Postdoctoral Fellow at Oregon State University.
1989-1991: N.S.F. postdoctoral fellow at Berkeley (Statistics), Cornell (MSI postdoc) and Oregon State Univeristy.

1980-1984 Math specialist at Black Pine Circle K-8 School in Berkeley, CA.
1976-1977 Math specialist intern at Black Pine Circle K-8 School in Berkeley, CA

## Honors and awards:

Simons Fellow, 2016
American Mathematical Society Fellow, elected 2012
Institute of Mathematical Statistics Fellow, elected 2001
Romnes Fellowship awarded 1997
Presidential Faculty Fellowship awarded 1993 ( $\mathrm{PFF}=\mathrm{PYI}=\mathrm{CAREER}$ )
Sloan Foundation Fellowship awarded 1993.
Rollo Davidson Prize, awarded 1993.
Lilly Teaching Fellowship awarded 1993.
N.S.F. postdoctoral fellowship awarded 1988.
N.S.F. graduate fellowship awarded 1984.

Top five in the William Lowell Putnam Math Competition, 1981.

## Doctoral dissertations supervised

Manuel Lladser (OSU, 2003), Andrew Bressler (Penn, 2009), Tong Zhu (Penn, 2010), Michael Lugo (Penn, 2010), Tim DeVries (Penn, 2011), Omar Abuzzahab (Penn, 2013), Jonathan Kariv (Penn, 2013), Shanshan Ding (Penn, 2014), Sneha Subramanian (Penn, 2014), Torin Greenwood (Penn, 2015), Julius Poh (Penn, 2015), Albert Chen (Penn, 2018), Josh Rosenberg (Penn, 2018) Kostis Karatapanis (Penn 2019) Marcus Michelen (Penn 2019) Eric Goodman (Penn 2022) Jiaming Xia (Penn 2022 co-advisor) Stephen Gillen (Penn 2022) Kaitian Jin (Penn 2024)
Current doctoral students: Collin Free
NSF Grants
DMS-1612674, DMS-1209117, DMS-0905937, DMS-0603821, DMS-0103635, DMS-9803249, DMS9353149, DMS-9300191.

## Recent organization

AIM Conference on ACSV, April, 2022

## Recent Service

Simons Foundation Mathematics and Physical Sciences Division Scientific Advisory Board, April 2023-March 2027.

AMS Fellows Selection Committee, 2021-2025 (Chair in 2022)

Editor for the Transactions and Memoirs of the American Mathematical Society (2018-2024)

Editor for the Transactions of Mathematics and its Applications (2019-present)

SAIL committee (structured active in-class learning), 2013-present

Undergraduate Chair, Depatment of Mathematics, 2011-2014

## Recent and scheduled invited talks:

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Jeff Steif 65 birthday conference June, 2024
Jim Propp 2^6 birthday conference, MIT June, 2024
SUNY Albany Math Colloquium, Albany March, 2024
Birnbaum Lecture (Univ. of Washington) November, 2023
70 Years of Percolation (Cambridge) July, 2023
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## Graduate and Undergraduate Level Teaching:

I have developed a year-long probability course at the Ph.D. level, for graduate students in pure and applied math, statistics and engineering. I have taught this at Penn in 2004-2021.

I have developed a parallel probability course at the Masters level focusing on probability modeling, taught three times since 2019.
I helped to develop the new non-STEM calculus sequence Math 1070-1080.
I developed a one-semester calculus course for business students, incorporating parts of Calc I, II and III and replacing the (somewhat absurd) Calc II requirement. This course, Math 110, is taught in an Active Learning format.
I have taught a number of graduate level topics courses including: Analytic Combinatorics in Several Variables, Random walks on graphs, a reading course in original papers in classical probability and statistical mechanics; I have supervised reading courses in point processes, random graphs, probabilistic number theory, and computational algebraic geometry.

## Pre-service, Outreach, Active, K-12 and Experimental Teaching:

Active learning calculus at Penn 2013-2014
Penn Math 123: academically based community service, teaching geometry in an urban tenth grade classroom, 2004
OSU Math 151A (calculus problem-solving curriculum), 2000
OSU Math 105-106 (math for elementary school teachers, active learning) 2002
Wisconsin Math 130-132 (math for elementary school teachers, active learning) 1993-1998
Summer Institute in Mathematics knot theory, Berkeley, 1991. The SMI is a program for minority students at the college level who are interested in careers in mathematics.

MIT Experimental Study Group ordinary differential equations, partial Moore method course, 1987-88.

Taught math enrichment to children of ages 10-13 at Black Pine Circle School during the years 1980-1984

Completed teacher training course in middle school science teaching at Lawrence Hall of Science, 1980-1981.

Taught topics in algebra in eighth grade at Black Pine Circle School as a peer teaching intern during Academic Year 1976-77

## R. PEMANTLE Publication List

## Books

I Wish They Had Taught Me That! Topics in mathematics that are often omitted from coursework. Gould, J. and R. Pemantle. In progress, under contract for A.K. Peters.

There Is No One Way to Teach Math: Actionable ideas for grades 6-12. Picciotto, H. and R. Pemantle. Routledge, to appear, 2024. ISBN-13: 978-1-0327-5933-3.

Analytic Combinatorics in Several Variables, second edition. R. Pemantle, M. C. Wilson and S. Melczer. Cambridge Studies in Advanced Mathematics No. 212. Cambridge University Press, 2024. ISBN-13: 9781107031579.

Supersedes: Analytic Combinatorics in Several Variables. R. Pemantle and M. C. Wilson. Cambridge Studies in Advanced Mathematics No. 140. Cambridge University Press, 2013. ISBN-13: 9781107031579.

Mathemania: the BPC math contest problems. (2009) R. Pemantle, J. Wolinsky, D. Bach., M. Sloper and A Gulimovsky. Black Pine Curriculum Institute, 2009. ISBN-13: 978-0-979-2452-1-3.

## Articles

[1] Pemantle, R. (1988). Phase transition in reinforced random walk and RWRE on trees. Ann. Probab. 16 1229-1241.
[2] Pemantle, R. (1989). Randomization time for the overhand shuffle. J. Theor. Prob. 237 49.
[3] Pemantle, R. (1990). Nonconvergence to unstable points in urn models and stochastic approximations. Ann. Probab. 18 698-712.
[4] Pemantle, R. (1990). A time-dependent version of Polya's urn. Jour. Theor. Prob. 3627 637.
[5] Fill, J. and Pemantle, R. (1993). Oriented percolation, first-passage percolation and covering times for Richardson's model on the n-cube. Ann. Appl. Prob. 3593-629.
[6] Pemantle, R. (1990). Vertex-reinforced random walk. Prob. Theor. and Rel. Fields 92117 136.
[7] Pemantle, R. (1991). When are touchpoints limits for generalized Polya urns? Proc. AMS 113 235-243.
[8] Pemantle, R. and Peres, Y. (1995). Critical RWRE on trees and tree-indexed random walks. Ann. Probab. 23 105-140.
[9] Pemantle, R. (1991). Choosing a spanning tree for the integer lattice uniformly. Ann. Probab. 191559-1574.
[10] Pemantle, R. and Lyons, R. (1992). Random walk in a random environment and first-passage percolation on trees. Ann. Probab. 20 125-136.
[11] Pemantle, R., Propp, J. and Ullman, D. (1992). On tensor powers of integer programs. SIAM J. Disc. Math. 5127-143.
[12] Pemantle, R. (1992). Automorphism-invariant measures on trees. Ann. Probab. 201549 1566.
[13] Pemantle, R. (1992). The contact process on trees. Ann. Probab. 20 2089-2116.
[14] Pemantle, R. and Penrose, M. (1992). On path integrals for the high-dimensional Brownian bridge. J. Comput. Appl. Math. 44 381-390.
[15] Burton, R. and Pemantle, R. (1993). Local characteristics, entropy and limit theorems for uniform spanning trees and domino tilings via transfer-impedances. Ann. Prob. 211329 1371.
[16] Pemantle, R. (1993). Critical RWRE on trees of exponential growth. Proc. Sem. Stoch. Pro. 1992, Burdzy and Bass, editors, 221-240.
[17] Pemantle, R. and Peres, Y. (1994). Planar first-passage times are not tight. In: Probability and Phase Transition, G. Grimmett Editor, 261-264. Kluwer: Boston.
[18] Pemantle, R. and Peres, Y. (1994). Domination between trees and application to an explosion problem. Ann. Probab. 22 180-194.
[19] Pemantle, R. (1994). A shuffle that mixes sets of any fixed size much faster than it mixes the whole deck. Rand. Struct. Alg. 9 609-625.
[20] Pemantle, R. (1994). Uniform random spanning trees. In: Topics in contemporary probability and its applications, J. L. Snell, editor, pages 1-54. CRC Press: Boca Raton.
[21] Pemantle, R. (1995). Tree-indexed processes. Stat. Sci. 5 200-213.
[22] Pemantle, R. and Peres, Y. (1995). Galton-Watson trees with the same mean have the same polar sets. Ann. Probab. 23 1102-1124.
[23] Benjamini, I., Pemantle, R. and Peres, Y. (1995). Martin capacity for Markov chains. Ann. Probab. 23 1332-1346.
[24] Lyons, R., Pemantle, R. and Peres, Y. (1995). A conceptual proof of the Kesten-Stigum theorem. Ann. Probab. 23 1125-1138.
[25] Diaconis, P., Holmes, S., Janson, S., Lalley, S. and Pemantle, R. (1995). Metrics on compositions and coincidences among renewal processes. In: Random Discrete Structures, 81 101, IMA Vol. Math. Appl. 76. Springer: New York.
[26] Lyons, R., Pemantle, R. and Peres, Y. (1995). Ergodic Theory on Galton Watson trees: Speed of random walk and dimension of harmonic measure on Galton-Watson trees. Ergodic Theory and Dynamical Systems 15 593-619.
[27] Pemantle, R. (1996). The probability that Brownian motion almost covers a line. Ann. IHP, Prob. and Stat. 33 147-165.
[28] Pemantle, R. (1996). Maximum variation of total risk. Stat. Prob. Letters 28 pages 285 289.
[29] Benjamini, I., Pemantle, R. and Peres, Y. (1996). Random walks in varying dimensions. J. Theor. Prob. 9231-244.
[30] Lyons, R., Pemantle, R. and Peres, Y. (1996). Random walks on the Lamplighter group. Ann. Probab. 24 1993-2006.
[31] Pemantle, R. and Peres, Y. (1996). On which graphs are all random walks in random environments transient? In: Random Discrete Structures, 207-211, IMA Vol. Math. Appl. 76. Springer: New York.
[32] Pemantle, R., Peres, Y. and Shapiro, J. (1996). The trace of spatial Brownian motion is capacity-equivalent to the unit square. P.T.R.F. 106 379-399.
[33] Lyons, R., Pemantle, R. and Peres, Y. (1996). Biased random walks on Galton-Watson trees. P.T.R.F. 106 249-264.
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[35] Pemantle, R. (1997). Sharpness of second moment criteria for branching and tree-indexed processes. In: Classical and modern branching processes, 257-262, IMA Vol. Math. Appl. 84. Springer: New York.
[36] Lyons, R., Pemantle, R. and Peres, Y. (1997). Unsolved problems concerning random walks on trees. In: Classical and modern branching processes, 223-237, IMA Vol. Math. Appl. 84. Springer: New York.
[37] Lyons, R., Pemantle, R. and Peres, Y. (1997). A conceptual proof of the Kesten-Stigum Theorem for multi-type branching processes. In: Classical and modern branching processes, 181-186, IMA Vol. Math. Appl. 84. Springer: New York.
[38] Bishop, C., Jones, P., Pemantle, R. and Peres, Y. (1997). Brownian frontier has dimension greater than 1. J. Func. Anal. 43 309-336.
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[43] Adelman, O., Burdzy, K. and Pemantle, R. (1998). Sets avoided by Brownian motion. Ann. Prob. 26 429-464.
[44] Benjamini, I., Pemantle, R. and Peres, Y. (1998). Unpredictable paths and percolation. Ann. Probab. 26 1198-1211.
[45] Lyons, R., Pemantle, R. and Peres, Y. (1999). Resistance bounds for first-passage percolation and maximum flow. J. Comb. Theor. A 86 158-168.
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[47] Pemantle, R. and Volkov, S. (1999). Vertex-reinforced random walk on $Z$ has finite range. Ann. Probab. 27 1368-1388.
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[71] Pemantle, R. (2005). A probabilistic model for the degree of the cancellation polynomial in Gosper's Algorithm. J. Algorithms 54, 58-71.
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[74] Balogh, J. and Pemantle, R. (2007). The Klee-Minty random edge chain moves with linear speed. Rand. Struct. Alg. 30, 464-483.
[75] Pemantle, R. and Peres, Y. (2007). When does a set intersect the set of Brownian double points? Ann. Probab. 35, 2044-2062.
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[84] Pemantle, R. and Wilson, M. (2010). Asymptotic expansions of oscillatory integrals with complex phase. To appear in Proceedings of the AMS Special session on Algorithmic Probability and Combinatorics (refereed), Lladser, Maier, Mishna and Rechnitzer editors, 18 pages.
[85] Bressler, A., Greenwood, T., Pemantle, R. and Petkovsek, M. (2010). Quantum random walk on the integer lattice: examples and phenomena. To appear in Proceedings of the AMS Special session on Algorithmic Probability and Combinatorics (refereed), Lladser, Maier, Mishna and Rechnitzer editors, 17 pages.
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[87] Pemantle, R. and Peres, Y. (2010). The critical Ising model on trees, concave recursions and nonlinear capacity. Ann. Probab. 38, 184-206.
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[90] DeVries, T., van der Hoeven, J. and Pemantle, R. (2011) Automatic computation of asymptotics of coefficients for smooth bivariate rational generating functions. Online J. Anal. Comb. 6, 24 pages.
[91] Croot, E., Granville, A., Pemantle, R. and Tetali, P. (2012). Sharp transitions in making squares. Ann. Math. 175, 1-45.
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[94] Pemantle, R. and Peres, Y. (2013). Concentration inequalities of Lipschitz functionals of determinantal and other strong Rayleigh measures. Comb., Prob. Comput. 23, 140-160.
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[96] Pak, I. and Pemantle, R. (2014). On the longest $k$-alternating subsequence. Elec. J. Comb. 22, Issue 1, paper 1.48.
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[110] Michelen, M., Pemantle, R. and Rosenberg, J. (2019). Invasion percolation on GaltonWatson trees. Elec. J. Prob. 24 paper no. 31, 1-35.
[111] Baryshnikov, Y., Melczer, S., Pemantle, R. and Straub, A. (2018). Diagonal asymptotics for symmetric rational functions via ACSV. In: 29th International Conference on Probabilistic, Combinatorial and Asymptotic Methods for the Analysis of Algorithms (AofA 2018), James Allen Fill and Mark Daniel Ward (Eds.). LIPICS Vol. 110. DOI: 10.4230/LIPIcs.AofA.2018.12. Extended Abstract, 12 pages.
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